Mathematics Properties

a = a	If something is equal to its identical twin	Reflexive Property
a = b & b = a	If something flipped sides of the equal sign	Symmetric Property
a = b, c = b so a = c	If two items are equal to a third item, the two are equal	Transitive Property
a+b = b+a	If you reversed the order of addition or multiplication	Commutative Property
a+(b+c) = (a+b)+c	If you changed a grouping rearranged parenthesis, but kept everything else in the same order	Associative Property
If a=b then a+c = b+c	If you added the same non-zero # to both sides	Addition Property
If $a = b ac = bc$	If you multiplied the same nonzero # to both sides you have used the	Multiplication Property
a + 0 = a	If you added 0 to get the same # back	Additive Identity
(a) 1 = a	If you multiplied by 1 to get the same # back	Multiplicative Identity
a + (-a) = 0	If you added opposite #'s and ended with 0	Property of Opposites
(b) ¹ / _b =1	If you multiplied by a reciprocal to get 1	Property of Reciprocals
a(b+c) = ab+ac qr+rs = (q+s)r	If you multiplied a # into or pulled a # out of parenthesis	Distributive Property
(a)0 = 0	If you multiplied by 0 and got 0	Multiplication Property of 0
W(-1) = -w	If you multiplied by (-1) and got the opposite of what you started with	Multiplicative Property of (-1)
	If you have stated that a <b, a="" or="">b</b,>	Comparison Property
a < b, c is +, then ac < bc	If you multiplied an inequality by a positive # and maintained the inequality	1 st Multiplication Property of Order
a < b, c is –, then ac > bc	If you multiplied as inequality by a negative # and reversed the inequality	2 nd Multiplication Property of Order
a+c = b+c then a = b	If you cancelled the same quantity from both sides of an equation (by subtracting)	Cancellation Property of Addition
ac = bc so a = b	If you cancelled the same nonzero quantity from both sides of an equation (by division)	Cancellation Property of Multiplication
ab = 0 if a = 0 or b = 0	If a product is zero, so you know that one of the factors has to be zero	Zero Product Property
$a_{b} = (a)^{1}_{b}$	If you changed a division to multiplication by a reciprocal	Definition of Division
a + (-b) = a - b	If you have switched from adding a negative to just subtraction, or vice versa	Definition of Subtraction
$(x) x = x^2$	If you have either broken apart exponents or created an exponent by multiplying a number by itself	Definition of Exponents
	If you have replaced one statement with an equivalent one and no other property or definition works	Substitution Property